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# Identification and correction of artefact in the measurement of pulsed magnetic fields

Luca Giaccone, Senior, IEEE, Domenico Giordano and Gabiella Crotti

Abstract—AC magnetic flux density meters usually integrate a high pass filter with a very low cut-off frequency (1 Hz - 30 Hz) aiming at reducing the effect of slow oscillations. This can distort the actual time domain behaviour of magnetic flux density waveforms detectable close to industrial or medical devices, even causing artefact high amplitude oscillations. This paper proposes a procedure to identify the filter parameters that accurately reproduce its measured frequency behaviour and suggests an algorithm to correct, in time domain, the field meter recorded waveform. Identification and correction procedure are extensively tested on magnetic flux density waveforms provided by a system for the generation of standard magnetic fields. Finally, the uncertainty associated with the identification and correction procedure are assessed by means of the Monte Carlo method. Assuming an overall standard uncertainty associated with the MCM model inputs of 0.3 %, a standard uncertainty of  $0.75\ \%$  associated with the mean square error between measured and reconstructed waveforms is obtained.

*Index Terms*—Measurement, pulsed magnetic fields, optimisation, identification, dosimetry.

## I. INTRODUCTION

THE measurement of pulsed magnetic fields is of high interest to severals sectors. Laboratory and commercial magnetic flux density meters can be found for this purpose. However, they often integrate high pass filter with a very low cut-off frequency aiming at reducing the effect of slow oscillations. In this paper we analyse the behaviour of a magnetic flux density meter largely employed for applications where the human exposure is the main concern. This meter has three selectable cut-off frequencies: 1 Hz, 10 Hz and 30 Hz. Even using the lowest one (1 Hz), possible artefact can be observed on the measured waveform. Basically, the original waveform is distorted and the degree of distortion depend on the shape of the original waveforms. The distortion could introduce unacceptable systematic error in EMC or dosimetric measurement. To give an example, complex and pulsed magnetic fields have to be assessed with suitable methodologies [1], [2], [3], [4]. This reference [5] summarises most of the available methods classifying them as time domain or frequency domain based. Different parameters are taken into account to asses the stability of the methods (offset, noise, sampling rate, signal truncation) and it is shown that some methods are more robust with reference to some disturbances and weaker with reference to others. Pros and cons of each method are highlighted. Bearing all this in mind, it is a matter of fact that a distortion of the original waveform could influence later analysis based on the measurement (e.g. an exposure assessment). This paper focuses on quasi-rectangular waveforms because they can be found in several applications like, for instance, spot welding [6], [7], [8] and MRI [9], [10], [11].

An example of a pulsed magnetic field is given in Fig. 1. The actual waveform is made of three consecutive quasirectangular pulses. The high pass filter distorts the actual waveform and the measurement output is the blue curve. Three main issues are clearly observed: 1) the real pulsed nature of the original waveform is lost 2) the maximum registered value is higher than the true one, 3) if the blue curve is used to compute the spectrum (apart from the filtered spectral content already discussed) it is not clear how to perform the signal truncation obtaining a result that is likely affected by spectral leakage [12], [13].

This paper addresses these issues proposing a procedure to identify the filter parameters that best reproduce the measured frequency behaviour of the meter. The model of the filter is then used to simulate the artefact related to the different cut-off frequencies. The input for the model is a reference waveform provided by the Italian reference system for the generation of standard magnetic fields up to 100 kHz [14]. The output of the model is compared with the measurement of the meter obtaining good agreement. Furthermore, it is suggested an algorithm to correct, in time domain, the distorted waveform. The correction procedure is again applied to the waveform measured by the meter obtaining a satisfactory comparison with the reference waveform. In the end, the uncertainty of the identification and correction procedure is assessed by means of the Monte Carlo method [15], [16].

## II. FILTER CHARACTERISATION AND IDENTIFICATION

The experimental frequency characterisation of the magnetic field meter is carried out by using the INRIM system for the generation of standard magnetic fields up to 100 kHz [14]. A chain constituted by a Fluke 5500 calibrator and a 100 A - 100 kHz Clarke-Hess trans-conductance amplifier supplies the Helmholtz coil pair. The maximum magnetic flux density which can be generated in the system center is 430  $\mu$ T. A 24 bit, 50 kHz National Instrument DAQ board performs the synchronous acquisition of the meter output signals and the current flowing in the Helmholtz system. A Python program, which manages the automatic supply frequency sweep, also performs the peak identification and the phase displacement of the meter signals (the current signal is the reference for the phase) through a four-parameter sine fitting. By replacing

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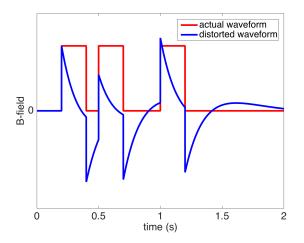


Fig. 1. Artefact example. The actual waveform is made of three consecutive quasi-rectangular pulses (red). The high pass filter distorts the actual waveform (blue).

the voltage calibrator with an arbitrary waveform generator, the system is able to generate arbitrary magnetic flux density waveforms. This allows the measurement of magnetic flux density meter capabilities under realistic distorted, quasirectangular or pulsed waveforms.

The magnetic field meter under study incorporates three band-pass filters with different values of the lower cut-off frequency: 1 Hz, 10 Hz and 30 Hz. The higher cut-off frequency is 400 kHz for all the filters. This paper focuses on the measurement of quasi rectangular waveforms whose spectrum includes components close to the lower cut-off frequency. For this reason, the frequency response of the magnetic field meter is characterised experimentally in the range 0.5 Hz - 300 Hz. Fig. 2 provide the measured Bode plot for the three filters. In this range they behave as a high-pass filter showing a trend similar to a third-order filter.

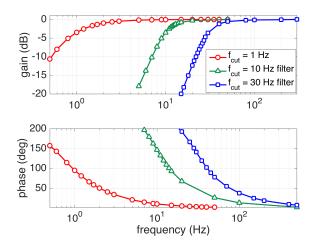


Fig. 2. Characterisation of the three filters related to the lower cut-off frequencies: 1 Hz, 10 Hz and 30 Hz.

Since the manufacturer does not provide detailed information on the band-pass filter used (only upper and lower cut-off frequency) we make the assumption that it can be modelled by means of the third order Butterworth filter represented in Fig. 3. To identify the filter, parameters  $C_1$ ,  $L_2$  and  $C_3$ 

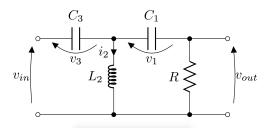


Fig. 3. Third order Butterworth filter used to approximate the actual high pass filter of the magnetic flux density meter.

have to be found. The identification is performed with a two steps approach: 1) preliminary identification with a heuristic method, 2) final identification with a deterministic method. The selected heuristic method is the genetic algorithm (GA) that allows a good exploration and exploitation of the solution space [17] but it does not assure to reach the global optimum. After the GA, the deterministic algorithm called pattern search (PS) is used in order to ensure the identification of the global optimum [18]. The PS method needs an initial solution to perform the analysis. In this paper we use as initial solution the one provided by the GA.

In both cases the algorithm minimises the mean square deviation between Butterworth and measured gain. The objective function is defined as:

$$OF = \sqrt{\sum_{j} \left(G_{j,B} - G_{j,mes}\right)^2}$$
(1)

being:

- *j* the index of the *j*th frequency,
- G<sub>j,B</sub> the gain of the Butterworth filter at the *j*th frequency,
- $G_{j,mes}$  the measured gain of the meter filter at the *j*th frequency.

The OF does not use information about the phase and, hence, they have to be checked at the end of the process (as will be shown later).

The whole process is run several times to check the stability of the final results. It is found that the use of the two steps approach makes the identification really stable and independent of the GA parameters used (population size, crossover, mutation factors). Such parameters can only influence the elapsed time but not the final result that always converges to the same optimal values. It must be stressed, however, that the GA has the key role of identifying the local optimum used by the PS as initial solution. Without this information the procedure can fail leading to a non global optimum.

The optimal parameters are summarised in Table I for all the filters. Fig. 4 compares the frequency characterisation of the meter and the Butterworth filter frequency response obtained with the identification. For the sake of shortness, this comparison is provided only for the lowest cut-off frequency  $(f_{\rm cut} = 1 \text{ Hz})$ . It is apparent that the Butterworth filter approximates the actual filter with good agreement. A slightly higher error is found for the phase at lower frequencies. This deviation is likely caused by the main assumption that approximates the actual filter with a Butterworth filter. However, we will shown later that this deviation does not compromise the final goal of our analysis.

TABLE I OPTIMAL PARAMETERS OF THE BUTTERWORTH FILTER

	optimal	optimal	optimal
parameter	value	value	value
1	$f_{\rm cut} = 1 \ {\rm Hz}$	$f_{\rm cut} = 10 \; {\rm Hz}$	$f_{\rm cut} = 30 \; {\rm Hz}$
$C_1$	675.06 mF	33.70 mF	10.02 mF
$L_2$	236.79 mH	10.36 mH	3.76 mH
$C_3$	106.73 mF	10.56 mF	3.35 mF

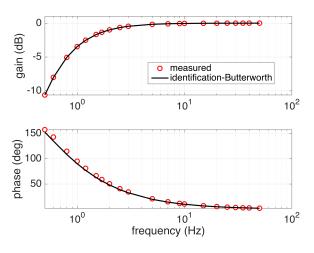


Fig. 4. Result of the fitting with cut-off frequency equal to  $f_{\text{cut}} = 1$  Hz. Measured frequency response vs. Butterworth frequency response.

# III. ARTEFACT MODELLING

The robustness of the identification is tested trying to reproduce the measurement artefacts. The same system described in Sec. II is used to generate a quasi-rectangular periodic waveform with fundamental frequency of 10 Hz. Fig. 5 shows the magnetic flux density waveform together with its spectrum. It is apparent that, depending on the filter used, a significant portion of the spectrum is attenuated of even cancelled. The reference waveform is measured by a fluxgate magnetometer and it will be used for comparison in the rest of the paper.

The modelling of the artefacts is performed solving a system of three differential equations related to the Butterworth in Fig. 3:

$$\frac{\mathrm{d}v_1}{\mathrm{d}t} = \frac{v_{\mathrm{in}} - v_1 - v_3}{RC_1} \tag{2}$$

$$\frac{\mathrm{d}i_2}{\mathrm{d}t} = \frac{v_{\mathrm{in}} - v_3}{L_2} \tag{3}$$

$$\frac{\mathrm{d}v_3}{\mathrm{d}t} = \frac{v_{\mathrm{in}} - v_1 - v_3}{RC_3} + \frac{i_2}{C_3} \tag{4}$$

In equations (2), (3) and (4) the term  $v_{in}$  corresponds to the reference field waveform represented in Fig. 5. Once the three

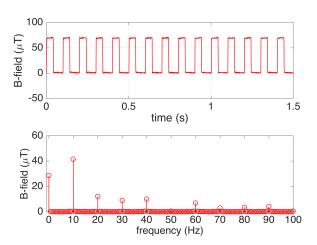


Fig. 5. Quasi-rectangular periodic waveform with fundamental frequency of 10 Hz (a). Spectrum of the waveform. (b).

differential equation are solved, one can compute the output voltage as  $v_{out} = v_{in} - v_1 - v_3$ . This term corresponds to the magnetic flux density waveform distorted by the meter.

Simulations are performed for all the filters incorporated in the meter. Results are provided in Fig. 6, Fig. 7 and Fig. 8 for the cut-off frequencies of 1 Hz, 10 Hz and 30 Hz, respectively. The red curve is the reference waveform, the green curve is the waveform measured by the meter and the blue (dashed) one is the simulation. In all figures three cycles are magnified to make easier the comparison. It is apparent that a good agreement is found for all the filters.

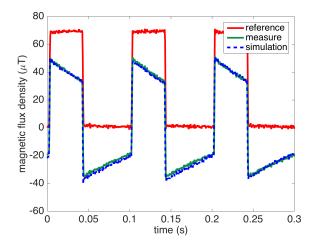


Fig. 6. Simulation of the measurement artefact related to  $f_{\rm cut} = 1$  Hz. The red curve is the reference waveform, the green curve is the waveform measured by the meter and the blue (dashed) curve is the simulation.

#### **IV. CORRECTION PROCEDURE**

In this section the attention is focused on a more interesting aspect related to the use of the identified filters. Since the identification has been proven to be reliable in previous sections, one can attempt to use it for the correction of the

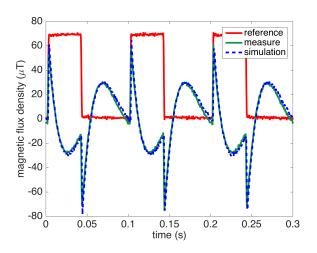


Fig. 7. Simulation of the measurement artefact related to  $f_{\rm cut} = 10$  Hz. The red curve is the reference waveform, the green curve is the waveform measured by the meter and the blue (dashed) curve is the simulation.

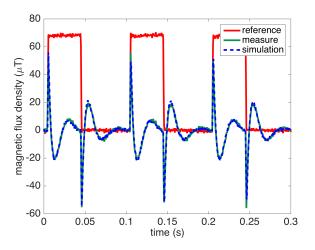


Fig. 8. Simulation of the measurement artefact related to  $f_{\rm cut} = 30$  Hz. The red curve is the reference waveform, the green curve is the waveform measured by the meter and the blue (dashed) curve is the simulation.

distorted waveform obtaining the true one (without artefacts). The set of equations necessary to the correction are:

$$\frac{\mathrm{d}v_1}{\mathrm{d}t} = \frac{v_{\mathrm{out}}}{RC_1} \tag{5}$$

$$\frac{\mathrm{d}i_2}{\mathrm{d}t} = \frac{v_1 + v_{\mathrm{out}}}{L_2} \tag{6}$$

$$\frac{\mathrm{d}v_3}{\mathrm{d}t} = \frac{v_{\mathrm{out}}}{RC_3} + \frac{i_2}{C_3} \tag{7}$$

It is noteworthy that, unlike to the simulation of the artefact, these equations can be decoupled. Equation (5) can be solved independently by the others obtaining  $v_1$ . This voltage is used to solve equation (6) and the obtained results can be used, in the same way, for solving (7). Once the three differential equation are solved, one can compute the input voltage as  $v_{\text{out}} = v_{\text{out}} + v_1 + v_3$ , where,  $v_{\text{out}}$  is the field waveform distorted by the meter and  $v_{\text{in}}$  is the corrected magnetic flux density waveform.

When solving equations from (5) to (7) particular attention has to be paid to the possibility of having a mean value in the waveforms  $v_{out}$ . The effect of the high-pass filter included in the meter is the cancellation of the mean value in the output waveform. For the quasi-rectangular waveform under analysis the mean value is completely cancelled after one single cycle. During the correction process one has to select a portion of the waveform that does not present a mean value, otherwise the three sequential integral will lead to waveform that varies with the third power of the time superposed on true waveform. Finally, technically speaking, even after the selection of a waveform without a mean value, it is better to numerically remove possible very small mean values coming from the signal truncation.

# A. Correction procedure applied to quasi-rectangular waveforms

The correction procedure has been successfully applied to the measured waveforms presented in previous section. Fig. 9, Fig. 10 and Fig. 11 provide the comparison for the cut-off frequencies of 1 Hz, 10 Hz and 30 Hz, respectively. They all include the reference waveform (red), the waveform measured by the meter (green), and the corrected waveform in (blue, dashed). It is worth noting that the correction procedure based on the removal of the mean values provides, obviously, a result without a mean value as well. The corrected waveforms presented in figures from 9 to 11 are obtained imposing, at the end of the correction process, that the waveform starts from zero.

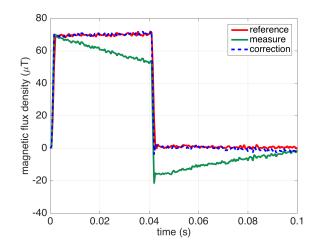


Fig. 9. Test of the correction procedure on the measured waveform with  $f_{\rm cut} = 1$  Hz. The red curve is the reference waveform, the green curve is the waveform measured by the meter and the blue (dashed) curve waveform obtained by means of the correction procedure.

# B. Correction procedure applied to a real case study: MFDC spot welding gun

The correction procedure is finally tested on a magnetic flux density waveform measured close to a medium frequency direct current welding gun. The magnetic field is pulsed and the highest frequency of the spectrum is approximately

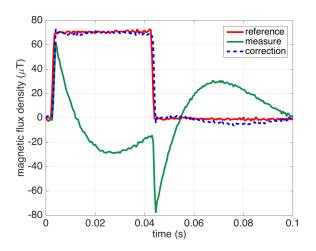


Fig. 10. Test of the correction procedure on the measured waveform with  $f_{\rm cut} = 10$  Hz. The red curve is the reference waveform, the green curve is the waveform measured by the meter and the blue (dashed) curve waveform obtained by means of the correction procedure.

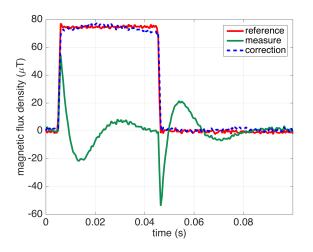


Fig. 11. Test of the correction procedure on the measured waveform with  $f_{\rm cut} = 30$  Hz. The red curve is the reference waveform, the green curve is the waveform measured by the meter and the blue (dashed) curve waveform obtained by means of the correction procedure.

10 kHz [7]. This kind of waveform is clearly subject to the measurement issues described in this paper. Fig. 12 provides in red the measured waveform using the filter with the lowest cut-off frequency,  $f_{\rm cut} = 1$  Hz. By processing this waveform with the correction procedure the blue curve is obtained. The lowest subfigure magnifies the time range during the slope-up of the magnetic flux density in order to appreciate the quality of the correction.

From the technical point of view, the blue curve is obtained removing the mean value before the integration in time domain. The result is then shifted up knowing that the waveform starts from zero. This knowledge comes from the fact that the magnetic flux density is proportional to the welding current that was measured as well during the pulse.

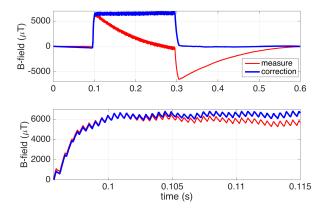


Fig. 12. Correction of the magnetic flux density waveform generated by a welding gun. Measurement in red and correction in blue.

#### V. UNCERTAINTY

The uncertainty associated to the standard deviation between the measured and corrected magnetic flux density signals can be estimated by a applying a Monte Carlo method (MCM) [15], [16]. The correction procedure is based on the identification of the filter parameters and, consequently, on the measurement of the frequency characterisation of the filter (gain and phase). The MCM is applied to the following model: 1) identification of the filter, 2) application of the correction procedure, 3) computation of the mean square error between correction and reference signal. Since the inputs of the MCM come from a measurement procedure, the associated probability density function (pdf) has a gaussian shape.

It is important to highlight that the pdf associated with the MCM output actually involves both the output of the propagated uncertainty of the complex transfer function and the repeatability of the identification stage of the model. Moreover, the obtained information is only a part of the overall uncertainty associated with the magnetic flux density quantity, which is the actual measurand. In a complete uncertainty budget, the meter uncertainty, the actual environmental conditions, the magnetic flux density uniformity, etc... have to be considered. This analysis is out of our aim.

In the estimation of the uncertainty associated with the gain and phase of the filter only a type A uncertainty is considered. The setup and the procedure employed is able to estimate the ratio and the phase displacement between two sinusoidal waveforms showing an uncertainty of few tens of  $\mu$ V/V and few tens of  $\mu$ rad. Nevertheless, because of the noise associated with the acquired voltage proportional to the magnetic flux density, the repeatability quantified by the standard deviation computed over a population of 50 repeated measurements gives a mean value of about 0.3 % for the gain (computed over the whole frequency bandwidth). Finally, since the identification does not rely on the measurement of the phase (see the objective function definition in Sec. II) it is not considered in the MCM.

The Monte Carlo analysis is performed on 20000 draws, considering a standard deviation of the measured gain of 0.3 %. As a result, the probability density function of the

output is shown in Fig. 13. The best fitting of this distribution with a gaussian shape provides a mean value of 8.63  $\mu$ T with a standard deviation of 0.065  $\mu$ T that means 0.75 %.

The same analysis is used also to evaluate the uncertainty of the identification procedure. At each run of the MCM the value of  $C_1$ ,  $L_2$  and  $C_3$  is registered. The best fitting of their distribution with a gaussian shape provides the results summarised in Table II. The same table summarises also the results for the mean square error presented above.

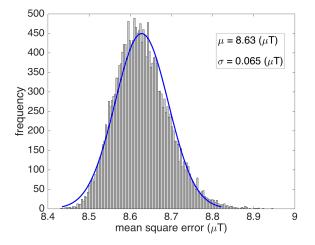


Fig. 13. Probability density function of the mean square error related to the correction procedure. The best fitting of this distribution with a gaussian shape provides a mean value of 8.63  $\mu$ T with a standard deviation of 0.065  $\mu$ T that means 0.75 %.

TABLE II UNCERTAINTY OF IDENTIFICATION AND CORRECTION PROCEDURE

parameter	mean μ	standard deviation $\sigma$	standard deviation (%)
$C_1$	675.36 mF	21.47 mF	3.179
$L_2$	236.89 mH	2.06 mH	0.870
$C_3$	106.73 mF	0.18 mF	0.169
MSE	$8.63 \ \mu T$	$0.065 \ \mu T$	0.753

## VI. CONCLUSION

When an AC magnetic flux density meter is employed in the detection of pulsed signals, time domain artefact can occur. This could introduce unacceptable systematic error in EMC or dosimetric measurement purposes. In this paper we extend the preliminary work presented in [19]. We analyse the behaviour of a magnetic flux density meter largely employed for applications where the human exposure is the main concern. This meter has three selectable cut-off frequencies: 1 Hz, 10 Hz and 30 Hz. The three filters are characterised showing the classical trend of a third order high pass filter. We propose an identification procedure based on a two steps approach (heuristic + deterministic) that is shown to be effective and reliable. The identified parameters allow to accurately model the meter behaviour and to develop a correction procedure that makes possible to compute the true waveform starting from the measured (distorted) one. The correction procedure is tested with two different waveforms: 1) a quasi-rectangular periodic waveform provided by a system for the generation of standard magnetic fields, 2) a pulsed waveform generated by a spot welding device. In both cases a satisfactory correction is obtained.

Finally, the uncertainty of the identification and correction procedure is evaluated by means of the Monte Carlo method. Starting from the frequency characterisation of the filter affected by a standard uncertainty of 0.3 % it is found a standard uncertainty of the correction procedure of 0.75 % which correspond to an expanded uncertainty of 1.5% (coverage factor = 2). This figure, which has to be considered as a contribution to the uncertainty budget associated with onsite magnetic flux density measurement, gives a negligible contribution compared with the expanded uncertainty which generally is around 10%.

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Luca Giaccone (SM'15) was born in Cuneo, Italy, in 1980. He received the Laurea degree and the Ph.D. degree in Electrical Engineering from the Politecnico di Torino, Turin, Italy, in 2005 and 2010, respectively. Dr. Giaccone worked on several areas of the electrical engineering: optimisation and modelling of complex energy systems, computation of electromagnetic and thermal fields, energy scavenging, magnetic field mitigation, EMF dosimetry, compliance of LF pulsed magnetic field sources. Since 2011 he is assistant professor with the Politec-

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